

tplot.sty: a simple plotter using tpic-specials

tsakurai@rimath.saitama-u.ac.jp

August 7, 2003

1 Plotting functions

```
\plot{numsamples*}[\var=begin:end; yexpr]
```

```
\funcdef\name(\var){expr}
```

```
\funcdef\name(\var1, \var2){expr}
```

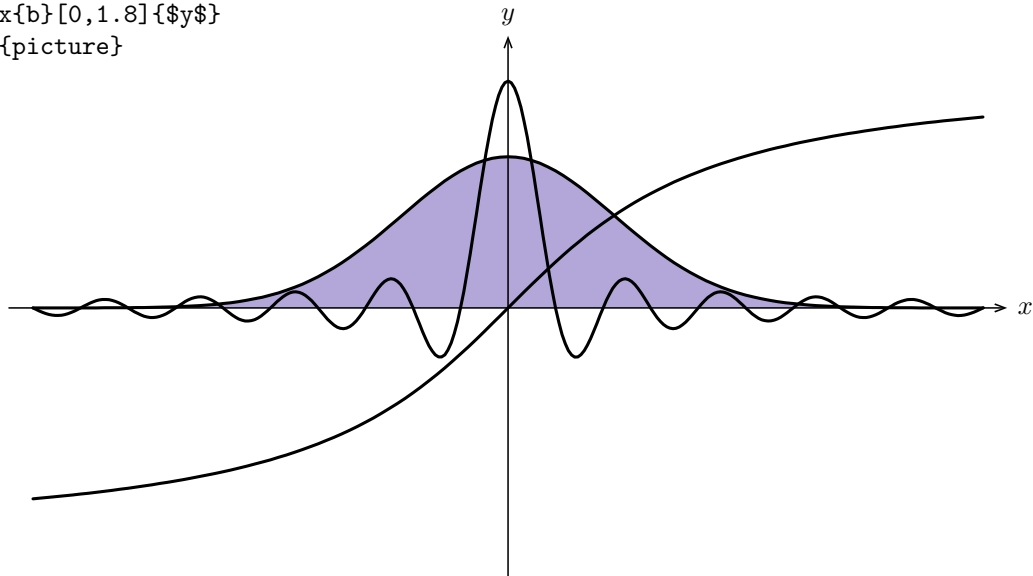
Builtin functions:

```
\sin(\x), \cos(\x), \tan(\x), \asin(\x), \atan(\x), \atanii(\y, \x),  
\exp(\x), \log(\x), \sqrt(\x), \abs(\x), \sgn(\x), \max(\x, \y), \min(\x, \y)
```

Constants:

```
\pi=3.14159, \e=2.71828, \deg=\pi/180
```

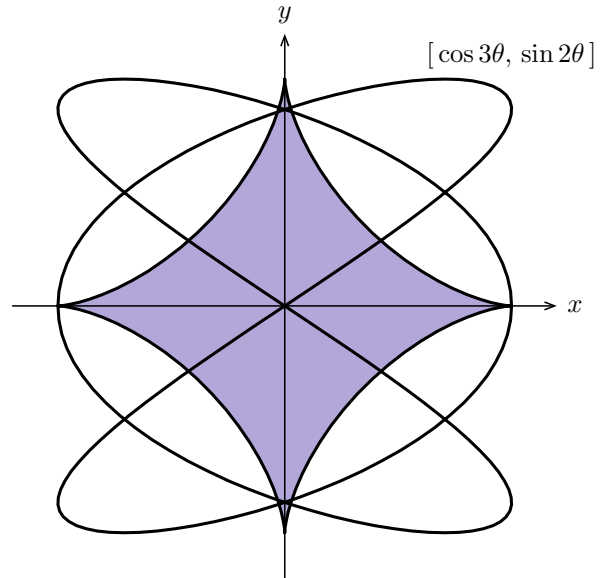
```
\unitlength=20mm  
\begin{picture}(6.6,3.6)(-3.3,-1.8)  
\setlinewidth{.4mm}  
\plot*[\x=-\pi:\pi;\e^{-(\x^2)}]  
\plot [\x=-\pi:\pi;\atan(\x)]  
\funcdef\sinc(\x){(\x==0)?{1}:{\sin(\x)/\x}}  
\plot300[\x=-\pi:\pi;1.5*\sinc(10*\x)]  
\setlinewidth{.2mm}  
\linex{->}[-3.3,0][3.3,0]  
\linex{->}[0,-1.8][0,1.8]  
\putx{1}[3.3,0]{$x$}  
\putx{b}[0,1.8]{$y$}  
\end{picture}
```



2 Plotting parametric curves

`\plot{numsamples*}[\var=begin:end; xexpr, yexpr]`

```
\unitlength=30mm
\begin{picture}(2.4,2.4)(-1.2,-1.2)
\setlinewidth{.4mm}
\plot100*[\theta=-\pi:\pi;
\cos(\theta)^3,\sin(\theta)^3]
\plot200 [\theta=-\pi:\pi;
\cos(3*\theta),\sin(2*\theta)]
\setlinewidth{.2mm}
\linex{->}[-1.2,0][1.2,0]
\linex{->}[0,-1.2][0,1.2]
\putx{1}[1.2,0]{$x$}
\putx{b}[0,1.2]{$y$}
\putx{b}[1,1]
{[\,\cos3\theta,\,\sin2\theta,\,]}
\end{picture}
```

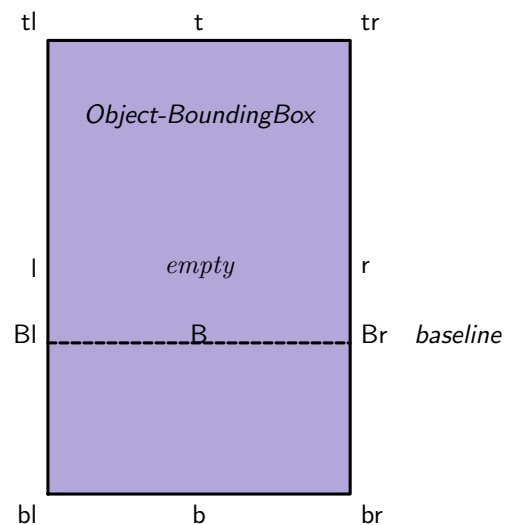


3 Put objects

`\putx{reference-point}[x,y]{object}`

`\setlabelsep{skip}` (default = 4 pt)

```
\unitlength=20mm
\begin{picture}(2,3)(-1,-1)
\setlinewidth{.4mm}
\polygon*{-}[-1,-1][1,-1][1,2][-1,2]
\linex{--}[-1,0][1,0]
\putx{br}[-1,2.]{\sf tl}
\putx{b} [ 0,2.]{\sf t}
\putx{bl}[ 1,2.]{\sf tr}
\putx{r} [-1,.5]{\sf l}
\putx [ 0,.5]{\it empty}
\putx{l} [ 1,.5]{\sf r}
\putx{Bl}[-1,.0]{\sf Bl}
\putx{B} [ 0,.0]{\sf B}
\putx{Bl}[ 1,.0]{\sf Br}
\putx{tr}[-1,-1]{\sf bl}
\putx{t} [ 0,-1]{\sf b}
\putx{tl}[ 1,-1]{\sf br}
\end{picture}
```


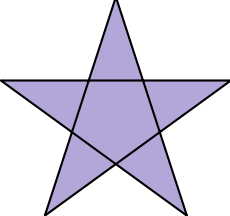






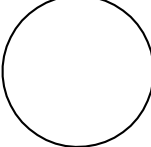
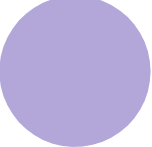
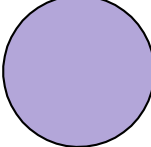
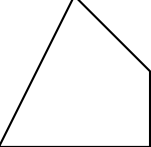




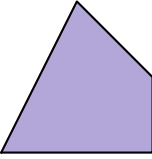
4 Lines and Curves

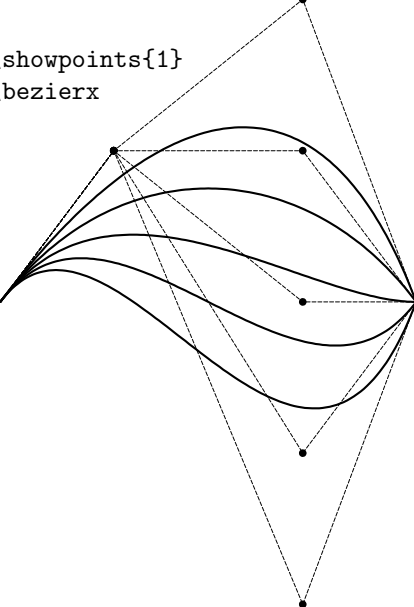
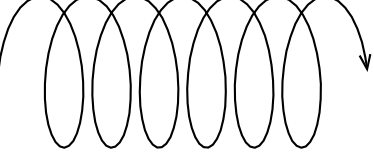
```

\linex{arrows}[x0,y0][x1,y1]...[xn,yn]
\arcx*{arrows}[x0,y0;radius;angle0,angle1]
\bezierx{arrows}[x0,y0][x1,y1][x2,y2][x3,y3]
\pcurvex*{arrows}[\var=begin:end;xexpr,yexpr]
\polygon*{-}[x0,y0][x1,y1]...[xn,yn]
\setarrowhead{length,width} (default = {8,6})
\settbarssize{length} (default = {10})

```

<code>{arrows}</code>	<code>\linex{arrows}</code>	<code>\pcurvex5*{-}[...]</code>
<code>{-}</code> or <i>empty</i>		
<code>{--}</code>		
<code>{<->}</code>		
<code>{ }</code>		
<code>{ <-> }</code>		

<code>\arcx</code>	<code>\arcx*</code>	<code>\arcx*{-}</code>	<code>\polygon</code>	<code>\polygon*</code>
				
<code>\arcx{ -->}</code>	<code>\arcx*</code>	<code>\arcx*{ -->}</code>	<code>\polygon*{-}</code>	
				

<code>\showpoints{1}</code> <code>\bezierx</code>	<code>\pcurvex200{->}</code> <code>[\t=0:13*\pi;.1*\t-.4*\cos(\t),\sin(\t)]</code>
	

5 Path construction and Paint operators

```

\moveto[x,y]
\lineto[x,y]
\curveto[x1,y1;x2,y2;x3,y3]
\rmoveto[dx,dy]
\rlineto[dx,dy]
\rcurveto[dx1,dy1;dx2,dy2;dx3,dy3]
\arc[x0,y0;radius;angle0,angle1]
\arct[x1,y1;x2,y2;radius]
\pcurve[\var=begin:end;xexpr,yexpr]
\newpath
\closepath
\stroke*
\fillpath

```

```

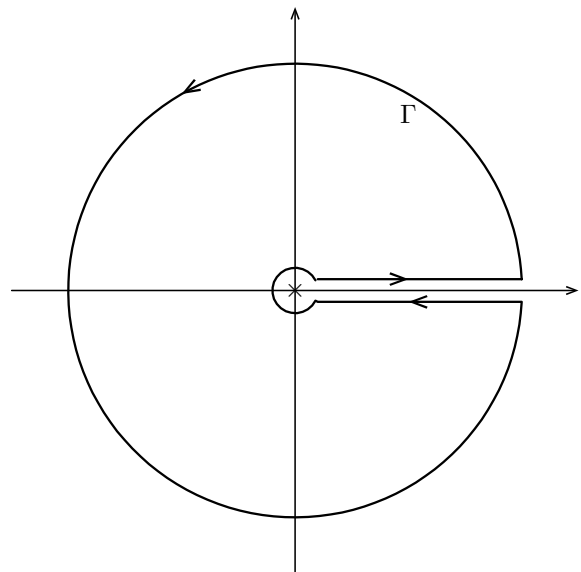
\arrowto[x,y]
\arrowfrom[x,y]
\rarrowto[dx,dy]
\rarrowfrom[dx,dy]

```

```

\unitlength=15mm
\begin{picture}(4,5)(-2,-2)
\setlinewidth{.3mm}
\eval\ALPHA{\atanii(.1,2.)}
\eval\BETA{\atanii(.1,.2)}
\moveto[.2,.1]
\lineto[1,.1]
{\rarrowfrom[-1,0]}
\lineto[2,.1]
\arc[0,0;2;\ALPHA,2*\pi/3]
{\rarrowfrom[\sqrt{3},1]}
\arc[0,0;2;2*\pi/3,2*\pi-\ALPHA]
\lineto[1,-.1]
{\rarrowfrom[1,0]}
\lineto[.2,-.1]
\arc[0,0;.2;2*\pi-\BETA,\BETA]
\stroke
\setlinewidth{.2mm}
\linex{->}[-2.5,0][2.5,0]
\linex{->}[0,-2.5][0,2.5]
\putx[0,0]{\times}
\putx{t}[1,\sqrt{3}]{\Gamma}
\end{picture}

```



6 Coordinate system and Matrix operators

```

\initmatrix
\setmatrix[a,b,c,d,e,f]
\translate[x,y]
\scale[xscale,yscale]
\rotate[angle]
\rotateat[x,y;angle]
\concat[a,b,c,d,e,f]
\transform[dimen1,dimnen2]
\dtransform[dimen1,dimnen2]
\itransform[dimen1,dimnen2]
\idtransform[dimen1,dimnen2]

```

7 Graphic state operators

```

\gsave
\grestore
\setlinewidth{linethickness}
\setlinejoin{integer}
\setlinestyle{solid/dash/spline}
\setfillcolor[rgb]{red,green,blue}
\setstrokecolor[rgb]{red,green,blue}
\setcolor[rgb]{red,green,blue}

```

8 Calcurator and Others

<code>\eval\name{expr}</code>	define <code>\name</code> to be the result value
<code>\evald\var{expr}</code>	stored in the dimen resister (as <i>value</i> pt)
<code>\?{expr}</code>	typeout the result to console
<code>\solve{?}[\var=a:b;expr]</code>	find the root in (a, b) of $expr=0$
<code>\for[\var=init;cond;\var+=incr]{proc}</code>	for statement

```

\evald{\dimen255}{\linewidth/5}
\for[\nn=1;\nn<=225;\nn+=1]{%
  \eval\xx{\sqrt{\nn}}%
  \hbox to\dimen255{\hskip2em\llap{\$\sqrt{\nn}\$} = \xx,\hss}%
  \hskip0pt plus1sp
}

```

$\sqrt{1} = 1,$	$\sqrt{2} = 1.41422,$	$\sqrt{3} = 1.73206,$	$\sqrt{4} = 2,$	$\sqrt{5} = 2.23607,$
$\sqrt{6} = 2.4495,$	$\sqrt{7} = 2.64575,$	$\sqrt{8} = 2.82843,$	$\sqrt{9} = 3,$	$\sqrt{10} = 3.16228,$
$\sqrt{11} = 3.31664,$	$\sqrt{12} = 3.46411,$	$\sqrt{13} = 3.60556,$	$\sqrt{14} = 3.74165,$	$\sqrt{15} = 3.87299,$
$\sqrt{16} = 4,$	$\sqrt{17} = 4.12311,$	$\sqrt{18} = 4.24265,$	$\sqrt{19} = 4.3589,$	$\sqrt{20} = 4.47214,$
$\sqrt{21} = 4.58258,$	$\sqrt{22} = 4.69041,$	$\sqrt{23} = 4.79584,$	$\sqrt{24} = 4.89899,$	$\sqrt{25} = 5,$
$\sqrt{26} = 5.09903,$	$\sqrt{27} = 5.19615,$	$\sqrt{28} = 5.2915,$	$\sqrt{29} = 5.38516,$	$\sqrt{30} = 5.47723,$
$\sqrt{31} = 5.56776,$	$\sqrt{32} = 5.65686,$	$\sqrt{33} = 5.74457,$	$\sqrt{34} = 5.83095,$	$\sqrt{35} = 5.91608,$
$\sqrt{36} = 6,$	$\sqrt{37} = 6.08276,$	$\sqrt{38} = 6.16441,$	$\sqrt{39} = 6.245,$	$\sqrt{40} = 6.32455,$
$\sqrt{41} = 6.40312,$	$\sqrt{42} = 6.48074,$	$\sqrt{43} = 6.55745,$	$\sqrt{44} = 6.63326,$	$\sqrt{45} = 6.7082,$
$\sqrt{46} = 6.78233,$	$\sqrt{47} = 6.85565,$	$\sqrt{48} = 6.9282,$	$\sqrt{49} = 7,$	$\sqrt{50} = 7.07108,$
$\sqrt{51} = 7.14143,$	$\sqrt{52} = 7.2111,$	$\sqrt{53} = 7.28012,$	$\sqrt{54} = 7.34848,$	$\sqrt{55} = 7.4162,$
$\sqrt{56} = 7.48332,$	$\sqrt{57} = 7.54984,$	$\sqrt{58} = 7.61578,$	$\sqrt{59} = 7.68115,$	$\sqrt{60} = 7.74597,$
$\sqrt{61} = 7.81026,$	$\sqrt{62} = 7.87401,$	$\sqrt{63} = 7.93726,$	$\sqrt{64} = 8,$	$\sqrt{65} = 8.06226,$
$\sqrt{66} = 8.12404,$	$\sqrt{67} = 8.18536,$	$\sqrt{68} = 8.24622,$	$\sqrt{69} = 8.30663,$	$\sqrt{70} = 8.36661,$
$\sqrt{71} = 8.42615,$	$\sqrt{72} = 8.48529,$	$\sqrt{73} = 8.544,$	$\sqrt{74} = 8.60233,$	$\sqrt{75} = 8.66026,$
$\sqrt{76} = 8.7178,$	$\sqrt{77} = 8.77496,$	$\sqrt{78} = 8.83177,$	$\sqrt{79} = 8.8882,$	$\sqrt{80} = 8.94427,$
$\sqrt{81} = 9,$	$\sqrt{82} = 9.05539,$	$\sqrt{83} = 9.11044,$	$\sqrt{84} = 9.16516,$	$\sqrt{85} = 9.21954,$
$\sqrt{86} = 9.27362,$	$\sqrt{87} = 9.32738,$	$\sqrt{88} = 9.38083,$	$\sqrt{89} = 9.43399,$	$\sqrt{90} = 9.48683,$
$\sqrt{91} = 9.5394,$	$\sqrt{92} = 9.59166,$	$\sqrt{93} = 9.64366,$	$\sqrt{94} = 9.69536,$	$\sqrt{95} = 9.7468,$
$\sqrt{96} = 9.79796,$	$\sqrt{97} = 9.84886,$	$\sqrt{98} = 9.8995,$	$\sqrt{99} = 9.94987,$	$\sqrt{100} = 10,$
$\sqrt{101} = 10.04988,$	$\sqrt{102} = 10.0995,$	$\sqrt{103} = 10.1489,$	$\sqrt{104} = 10.19804,$	$\sqrt{105} = 10.24695,$
$\sqrt{106} = 10.29564,$	$\sqrt{107} = 10.34409,$	$\sqrt{108} = 10.3923,$	$\sqrt{109} = 10.4403,$	$\sqrt{110} = 10.4881,$
$\sqrt{111} = 10.53566,$	$\sqrt{112} = 10.58301,$	$\sqrt{113} = 10.63014,$	$\sqrt{114} = 10.67708,$	$\sqrt{115} = 10.72382,$
$\sqrt{116} = 10.77034,$	$\sqrt{117} = 10.81665,$	$\sqrt{118} = 10.86278,$	$\sqrt{119} = 10.90872,$	$\sqrt{120} = 10.95445,$
$\sqrt{121} = 11,$	$\sqrt{122} = 11.04536,$	$\sqrt{123} = 11.09055,$	$\sqrt{124} = 11.13553,$	$\sqrt{125} = 11.18034,$
$\sqrt{126} = 11.22498,$	$\sqrt{127} = 11.26942,$	$\sqrt{128} = 11.3137,$	$\sqrt{129} = 11.35782,$	$\sqrt{130} = 11.40176,$
$\sqrt{131} = 11.44553,$	$\sqrt{132} = 11.48914,$	$\sqrt{133} = 11.53256,$	$\sqrt{134} = 11.57584,$	$\sqrt{135} = 11.61896,$
$\sqrt{136} = 11.66191,$	$\sqrt{137} = 11.7047,$	$\sqrt{138} = 11.74734,$	$\sqrt{139} = 11.78983,$	$\sqrt{140} = 11.83217,$
$\sqrt{141} = 11.87434,$	$\sqrt{142} = 11.91638,$	$\sqrt{143} = 11.95827,$	$\sqrt{144} = 12,$	$\sqrt{145} = 12.0416,$
$\sqrt{146} = 12.08305,$	$\sqrt{147} = 12.12436,$	$\sqrt{148} = 12.16553,$	$\sqrt{149} = 12.20656,$	$\sqrt{150} = 12.24745,$
$\sqrt{151} = 12.28821,$	$\sqrt{152} = 12.32883,$	$\sqrt{153} = 12.36932,$	$\sqrt{154} = 12.40968,$	$\sqrt{155} = 12.4499,$
$\sqrt{156} = 12.49,$	$\sqrt{157} = 12.52997,$	$\sqrt{158} = 12.56981,$	$\sqrt{159} = 12.60953,$	$\sqrt{160} = 12.64911,$
$\sqrt{161} = 12.68858,$	$\sqrt{162} = 12.72792,$	$\sqrt{163} = 12.76715,$	$\sqrt{164} = 12.80626,$	$\sqrt{165} = 12.84523,$
$\sqrt{166} = 12.88411,$	$\sqrt{167} = 12.92285,$	$\sqrt{168} = 12.96149,$	$\sqrt{169} = 13,$	$\sqrt{170} = 13.0384,$
$\sqrt{171} = 13.0767,$	$\sqrt{172} = 13.11488,$	$\sqrt{173} = 13.15295,$	$\sqrt{174} = 13.1909,$	$\sqrt{175} = 13.22876,$
$\sqrt{176} = 13.26651,$	$\sqrt{177} = 13.30414,$	$\sqrt{178} = 13.34167,$	$\sqrt{179} = 13.37909,$	$\sqrt{180} = 13.41641,$
$\sqrt{181} = 13.45363,$	$\sqrt{182} = 13.49074,$	$\sqrt{183} = 13.52776,$	$\sqrt{184} = 13.56467,$	$\sqrt{185} = 13.60147,$
$\sqrt{186} = 13.63818,$	$\sqrt{187} = 13.6748,$	$\sqrt{188} = 13.71132,$	$\sqrt{189} = 13.74773,$	$\sqrt{190} = 13.78406,$
$\sqrt{191} = 13.82028,$	$\sqrt{192} = 13.85641,$	$\sqrt{193} = 13.89244,$	$\sqrt{194} = 13.92839,$	$\sqrt{195} = 13.96425,$
$\sqrt{196} = 14,$	$\sqrt{197} = 14.03568,$	$\sqrt{198} = 14.07126,$	$\sqrt{199} = 14.10674,$	$\sqrt{200} = 14.14214,$
$\sqrt{201} = 14.17744,$	$\sqrt{202} = 14.21268,$	$\sqrt{203} = 14.2478,$	$\sqrt{204} = 14.28287,$	$\sqrt{205} = 14.31783,$
$\sqrt{206} = 14.3527,$	$\sqrt{207} = 14.3875,$	$\sqrt{208} = 14.42221,$	$\sqrt{209} = 14.45683,$	$\sqrt{210} = 14.49138,$
$\sqrt{211} = 14.52585,$	$\sqrt{212} = 14.56023,$	$\sqrt{213} = 14.59453,$	$\sqrt{214} = 14.62874,$	$\sqrt{215} = 14.66289,$
$\sqrt{216} = 14.69695,$	$\sqrt{217} = 14.73093,$	$\sqrt{218} = 14.76483,$	$\sqrt{219} = 14.79865,$	$\sqrt{220} = 14.8324,$
$\sqrt{221} = 14.86607,$	$\sqrt{222} = 14.89967,$	$\sqrt{223} = 14.93318,$	$\sqrt{224} = 14.96663,$	$\sqrt{225} = 15,$

```

\begin{picture}(0,6)(-6,-1)
\solve[\x=-1:1;\x^2-2*\x+1-(\x+1)]\edef\a{\x}
\solve[\x= 1:4;\x^2-2*\x+1-(\x+1)]\edef\b{\x}
\eval\m{(\a+\b)/2}
\gsave
\setcolor[rgb]{.6,.65,.75}
\pcurve[\x=\a:\b;\x,\x^2-2*\x+1]
\closepath\fillpath
\setcolor[rgb]{.6,.75,.65}
\pcurve [\x=\a:\b;\x,\x^2-2*\x+1]
\pcurve2[\x=\b:\m;\x,(2*\b-2)*(\x-\b)+(\b^2-2*\b+1)]
\closepath\fillpath
\grestore
\setlinewidth{.4mm}
\plot[\x=-1.2:3.4;\x^2-2*\x+1]
\plot2[\x=-1.2:3.6;\x+1]
\setlinewidth{.2mm}
\plot2[\x=-1.2:2.1;(2*\a-2)*(\x-\a)+(\a^2-2*\a+1)]
\plot2[\x= 1.1:3.4;(2*\b-2)*(\x-\b)+(\b^2-2*\b+1)]
\setlinewidth{.2mm}
\linex{->}[-1.2,0][3.8,0]
\linex{->}[0,-2.8][0,5.8]
\putx{1}[3.8,0]{\x}
\putx{b}[0,5.8]{y}
\setcolor[rgb]{0,0,0}
\putx[1.25, 1]{S_1}
\putx[1.4,-.5]{S_2}
\end{picture}

```

